

Due Dec. 7th

# Evaluating the Drake Equation

## 1 Introduction

The Drake equation provides a means of estimating the number of communicable civilizations ( $N$ ) that exist in our galaxy today.

$$N = R_* \times f_p \times n_e \times f_l \times f_i \times f_c \times L.$$

where

- $R_*$  = starformation rate (number of stars born per year)
- $f_p$  = fraction of stars with planets
- $n_e$  = number of Earth-like planets around each star
- $f_l$  = fraction of planets where life emerges
- $f_i$  = fraction of life-bearing planets where intelligent species emerge
- $f_c$  = fraction of planets where intelligent life has the technology, resources and desire to communicate over interstellar distances
- $L$  = average lifetime of a communicable civilization (in years)

## 2 Questions

1. Combining your own intuition with what you have learned in class and elsewhere, estimate each of the seven parameters on the right-hand side of the Drake equation. Enter your estimates of the parameters on the accompanying table (Table 1). Provide a brief explanation of how you arrived at your estimates.
2. Evaluate the Drake equation using your estimates. Enter the result in Table 1.
3. Assuming there are  $4 \times 10^{11}$  stars in our galaxy, how many stars would you need to survey before you are likely to find another communicable civilization?
4. What is your estimated birthrate for:
  - (a) planets with life?
  - (b) planets with intelligent life?
  - (c) planets with communicable civilizations?
5. If you were on a starship with a mission to catalog life forms on other planets, how much more likely is it that you would find planets with microbial life than planets with communicable civilizations?

$R_*$	$f_p$	$n_e$	$f_l$	$f_i$	$f_c$	$L$	$N$

Table 1: Parameters of the Drake Equation

6. Using the equations in the E.T. text and your value for  $N$ , estimate the average distance between communicable civilizations in the Milky Way galaxy.   
 *page 138;  $r = 5 \times 10^4 \text{ ly} / N^{1/2}$*
7. As we discussed in lecture, radio provides both the fastest and cheapest way we know of to communicate between the stars. Using a large array of antennae (such as is envisioned with Project Cyclops), assume we can detect an alien beacon after "listening" toward a star in  $\sim 10$  seconds. Using your answer from (3), estimate how many years it would take to find the nearest communicable civilization.
8. Write a couple of paragraphs on why you might search for extra-terrestrial intelligence.
9. Assume it takes 10 million dollars a year to keep the SETI program going. What will be the total expenditure on the program before it is likely to result in a positive detection of another civilization?
10. Do you think such expenditures in time and money are justified? (Explain.)